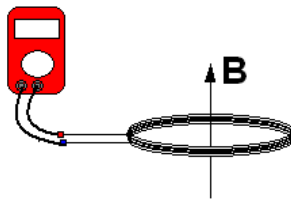


# Physics II

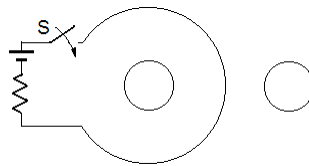
## Induced Electromotive Force

Faraday, Lenz's law:  $emf = -\frac{\Delta\phi}{time}$ , where  $\phi = NBA\sin\angle_{Surface}^B$

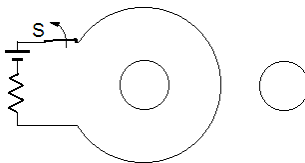
**Problem 1.-** A coil has a diameter of 0.25m and it is made of 1,500 loops of copper wire. It is in a region where the magnetic field is  $5.5 \times 10^{-5}T$  and perpendicular to the plane of the coil as shown in the figure. Find the average electromotive force produced by flipping the coil in a time of 0.15s, so the magnetic flux changes to the opposite direction.



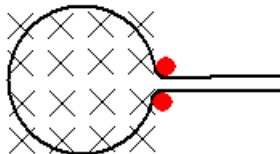
**Problem 2.-** What will be the direction of the current induced in each of the small circular loops when the switch "S" is suddenly closed?



**Problem 2a.-** What will be the direction of the current induced in each of the small circular loops when the switch "S" is suddenly opened?

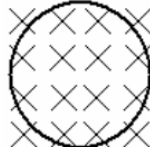


**Problem 3.-** A circular loop of wire of diameter 1.05m is located in a region where the magnetic field is 0.225T and perpendicular to the plane of the loop. You pull the wire reducing the diameter of the loop to 0.95m in 5 seconds. Find the average  $emf$  produced by this change.

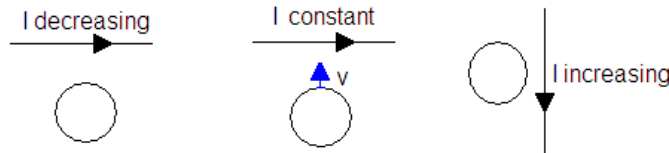


**Problem 3a.-** 0.4 meters of wire form a square in a region with a uniform magnetic field of 0.06 Tesla perpendicular to the square. The wire is reduced in length by 0.01 m in 10 seconds keeping its square shape. Calculate the resulting  $emf$ .

**Problem 4.-** A circular loop of wire encloses an area of  $1.05\text{m}^2$  and is in a region where the magnetic field has an intensity in tesla  $B=0.025t^2$ , where “t” is the time in seconds. The field is perpendicular to the plane of the loop as shown in the figure. Find the induced *emf* as a function of time.

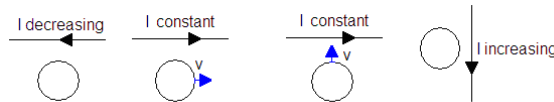


**Problem 5.-** Indicate the direction of the induced current in the hoop in each of the following cases:



*Note:* In the second case the hoop is moving towards the wire.

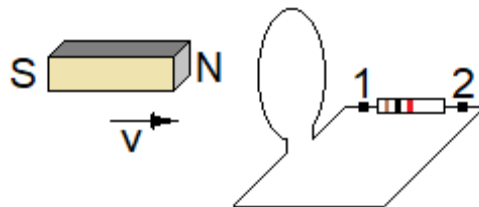
**Problem 5a.-** Indicate the direction of the induced current in the loop in each of the following cases:



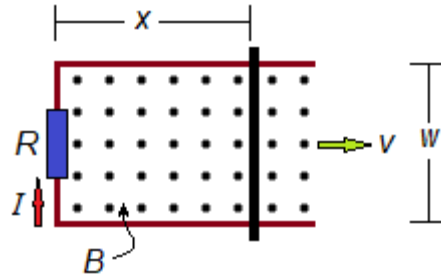
*Note:* v indicates velocity.

**Problem 6.-** How is the magnetic stripe in your credit card read when you swipe it at a store?

**Problem 7.-** A permanent magnet with its poles oriented as shown in the figure is moved towards a wire in the shape of a circle at a constant velocity. The magnet passes through the loop and moves away. The circular wire is connected to a circuit with a resistance R. Graph and justify the variation in induced current in the resistance in terms of the time when the magnet approaches, passes through, and moves away from the loop.



**Problem 8.-** A circuit is built by connecting a resistance  $R=2\Omega$  to a conducting wire in the shape of a U with width  $w = 0.5$  m, and a sliding conducting bar that closes the circuit. Consider that this circuit is in a region where the magnetic field is  $B = 1$  T perpendicular to the plane of the circuit and the resistances of the wire and bar are negligible.



- Calculate the *emf* if the bar moves to the right at a speed  $v = 10\text{m/s}$
- Calculate the induced current in case (a).
- Calculate the speed  $v$  necessary to induce a current of  $0.5$  A